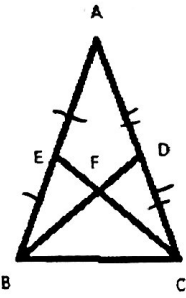


Name: _____
 Date: _____
 Class: _____

Geometry
 Unit 8
 HW 8-2

Using the given information and the diagram write a proof that shows the "Prove" statement is true.

1)



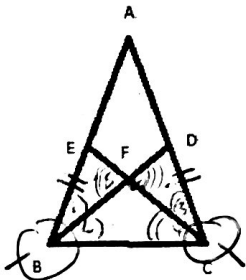
Given: \overline{CE} and \overline{BD} are medians
 $\triangle ACB$ is isos with $\angle A$ as vertex
 Prove: $\overline{EB} \cong \overline{AD}$

\overline{CE} and \overline{BD} are medians \rightarrow given
 $\overline{AE} \cong \overline{EB}$
 $\overline{AD} \cong \overline{DC}$ \rightarrow median cuts opp side in 2 \cong parts

$\triangle ACB$ is isos w/ $\angle A$ as vertex \rightarrow given

$\overline{AB} \cong \overline{AC} \rightarrow$ isos \triangle has 2 \cong legs
 $\overline{EB} \cong \overline{AD} \rightarrow$ Both are $1/2$ of \cong sides

2)

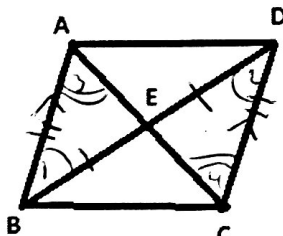


Given: $\triangle ACB$ is isos with $\angle A$ as vertex
 \overline{CE} and \overline{BD} are \angle bisectors
 $\overline{EB} \cong \overline{CD}$

Prove: $\triangle EFB \cong \triangle DFC$

$\triangle ACB$ is isos w/ $\angle A$ as vertex \rightarrow given
 $\angle ABC \cong \angle ACB \rightarrow$ base \angle s of isos $\triangle \cong$
 \overline{CE} and \overline{BD} are \angle bisectors \rightarrow given
 $\angle 1 \cong \angle 2$
 $\angle 3 \cong \angle 4 \rightarrow$ bisector creates 2 \cong parts
 $\angle 1 \cong \angle 3 \rightarrow$ Both are $1/2$ of $\cong \angle$ s
 $\overline{EB} \cong \overline{CD} \rightarrow$ given
 $\angle 5 \cong \angle 6 \rightarrow$ vert \angle s \cong
 $\triangle EFB \cong \triangle DFC \rightarrow$ AAS

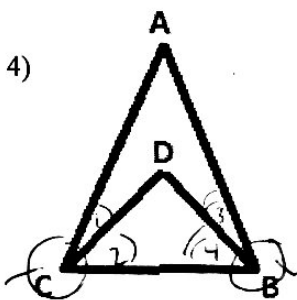
3)



Given: \overline{AC} bisects \overline{BD}
 $\overline{AB} \parallel \overline{CD}$
 Prove: ABCD is a \square

\overline{AC} bisects $\overline{BD} \rightarrow$ given
 $\overline{BE} \cong \overline{ED} \rightarrow$ bisector creates 2 \cong parts
 $\overline{AB} \parallel \overline{CD} \rightarrow$ given
 $\angle 1 \cong \angle 2 \rightarrow$ alt int \angle s \cong when lines \parallel
 $\angle 3 \cong \angle 4 \rightarrow$
 $\triangle ABE \cong \triangle CDE \rightarrow$ AAS
 $\overline{AB} \cong \overline{CD} \rightarrow$ CPCTC
 ABCD is a $\square \rightarrow$ it has 1 set of opp \parallel / \cong sides

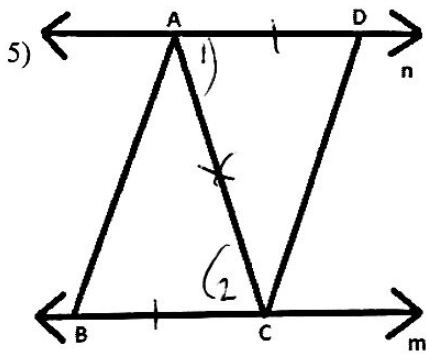
opp sides \parallel
 opp sides \cong
 etc



$\triangle ACB$ is isos w/ $\angle A$ as vertex \rightarrow given
 $\angle ACB \cong \angle ABC \rightarrow$ base \angle 's \cong in isos \triangle
 $\overline{CD} + \overline{BD}$ are \angle bisectors \rightarrow given
 $\angle 1 \cong \angle 2 \rightarrow$ bisectors create 2 \cong parts
 $\angle 3 \cong \angle 4$
 $\angle 2 \cong \angle 4 \rightarrow$ Both are $1/2$ of $\cong \angle$'s
 $\triangle DCB$ is isos w/ $\angle D$ as vertex \rightarrow it has 2 $\cong \angle$'s
 so it isos.

Given: $\triangle ACB$ is isos with $\angle A$ as vertex
 \overline{CD} and \overline{BD} are \angle bisectors
 Prove: $\triangle DCB$ is isos with $\angle D$ as vertex

base \angle 's \cong ?
 legs \cong ?



Given: $\vec{n} \parallel \vec{m}$
 $\overline{BC} \cong \overline{AD}$
 Prove: $\triangle ABC \cong \triangle CDA$

$\vec{n} \parallel \vec{m} \rightarrow$ given
 $\angle 1 \cong \angle 2 \rightarrow$ alt int \angle 's \cong when lines \parallel
 $\overline{BC} \cong \overline{AD} \rightarrow$ given
 $\overline{AC} \cong \overline{AC} \rightarrow$ anything \cong to itself
 $\triangle ABC \cong \triangle CDA \rightarrow$ SAS