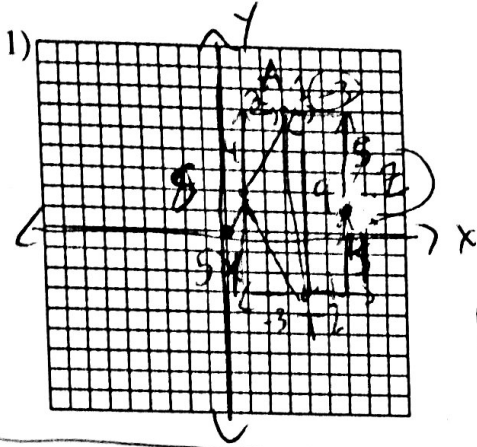


Name: _____
 Date: _____
 Class: _____

Geometry
 Unit 8
 HW 8-4b

Using the given information and the diagram write a proof that shows the "Prove" statement is true.

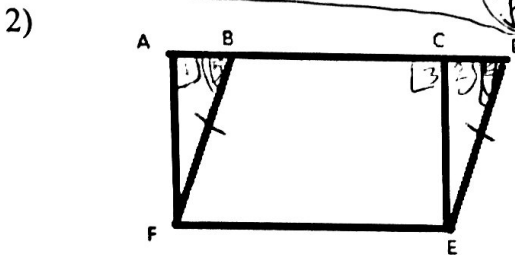


If a triangle has points S (1,2), A(3, 6), and T(4, -3), what type of triangle is ΔSAT ? Place a point Z so that SAZT is a parallelogram and explain.

distances
 $SA \rightarrow 4^2 + 2^2 = x^2$ $\sqrt{20}$
 $TA \rightarrow 1^2 + 4^2 = x^2$ $\sqrt{81}$
 $TS \rightarrow 3^2 + 5^2 = x^2$ $\sqrt{34}$

Based on my calc ΔTAS is an obtuse scalene Δ b/c it has 3 dif sides and "hyp²" is larger in pythag theorem

Point Z would need to be at (6,1) b/c that would make opp sides \cong



$TZ \rightarrow 2^2 + 4^2 = x^2$ obtuse $\sqrt{20}$
 $ZA \rightarrow 3^2 + 5^2 = x^2$ $\sqrt{34}$

Given: $BDEF$ is a parallelogram

$\overline{FA} \perp \overline{AD}$
 $\overline{CE} \perp \overline{AD}$

Prove: $ACEF$ is a parallelogram

$\Delta's \cong$ 1 prop

2) $\overline{FA} \perp \overline{AD} \rightarrow$ given

$m\angle 1 = 90^\circ \rightarrow \perp$ creates rt \angle 's

$\overline{CE} \perp \overline{AD} \rightarrow$ given

$m\angle 2 = 90$

$m\angle 3 = 90 \rightarrow \perp$ creates rt \angle 's

$\angle 2 \cong \angle 1 \rightarrow$ Both 90°

$BDEF$ is a $\square \rightarrow$ given

$\overline{BF} \cong \overline{DE} \rightarrow$ opp sides $\square \cong$

$\overline{BF} \parallel \overline{DE} \rightarrow$ opp sides $\square \parallel$

$\angle 4 \cong \angle 5 \rightarrow$ corr \angle 's \cong when lines \parallel

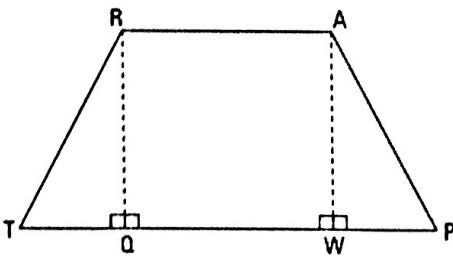
$\Delta BAF \cong \Delta DCE \rightarrow$ AAS

$\overline{AF} \cong \overline{CE} \rightarrow$ CPCTC

$\overline{AF} \parallel \overline{CE} \rightarrow$ Both \perp to same line

$ACEF$ is a rect $\rightarrow \square$ (1 set opp sides \parallel and \cong) with 1 rt \angle making all \angle 's 90°

3)



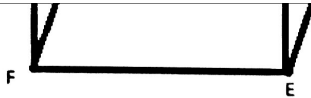
Given: $\overline{TW} \cong \overline{QP}$

$\overline{RQ} \perp \overline{TP}$

$\overline{AW} \perp \overline{TP}$

$\overline{TR} \cong \overline{AP}$

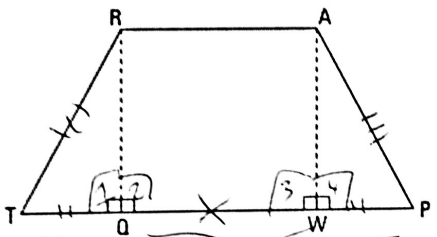
Prove: $RAWQ$ is a rectangle



Given: $BDEF$ is a parallelogram
 $\overline{FA} \perp \overline{AD}$
 $\overline{CE} \perp \overline{AD}$
 Prove: $ACEF$ is a parallelogram

3) $\overline{TW} \cong \overline{QP}$ → given
 $\overline{QW} \cong \overline{QW}$ → anything \cong to itself
 $\overline{TQ} \cong \overline{WP}$ → subtraction property
 $\overline{RQ} \perp \overline{TP}$ → given
 $m\angle 1 = 90^\circ$ → \perp creates rt \angle s
 $m\angle 2 = 90^\circ$ → \perp creates rt \angle s
 $\overline{AW} \perp \overline{TP}$ → given

3)



Given: $\overline{TW} \cong \overline{QP}$
 $\overline{RQ} \perp \overline{TP}$
 $\overline{AW} \perp \overline{TP}$
 $\overline{TR} \cong \overline{AP}$

Prove: $RAWQ$ is a rectangle

$\cong \Delta$ s? \square w/ rt \angle

$m\angle 3 = 90^\circ$ → \perp creates rt \angle s
 $m\angle 4 = 90^\circ$
 $\angle 1 \cong \angle 2$ → both 90°
 $\overline{TR} \cong \overline{AP}$ → given
 $\triangle TRQ \cong \triangle PAW$ → HL
 $\overline{RQ} \cong \overline{AW}$ → CPCTC
 $\overline{RQ} \parallel \overline{AW}$ → both \perp to same side
 $RAWQ$ is a rect → \square (1 pair of \parallel = rt \angle)
 w/ 1 rt \angle making all \angle s
 right